# Sample DB Examination Solutions (Spring, 2007)

May 29, 2007

Draw a simple ER diagram that results in a primary key / foreign key constraint to be created between the tables:

```
CREATE TABLE Salespersons(
sid CHAR(10), primary key (sid))

CREATE TABLE Customers(
cid CHAR(10), sid CHAR(10),
primary key (cid),
foreign key (sid) reference Salespersons)
```

## Question: 2

Part 1: SQL

Express query "Find the passenger\_name of all passengers who have a seat booked on at least one plane of every type" in relational algebra

```
FLIGHTS(flight_num, source_city, destination_city)
DEPARTURES(flight_num, data, plane_type)
PASSENGERS(passenger_id, passenger_name, passenger_address)
BOOKINGS(passenger_id, flight_num, date, seat_number)
```

 $<sup>\</sup>pi_{passenger\_name\_type}(PASSENGERS \bowtie BOOKINGS \bowtie DEPARTURES)/\pi_{plane\_type}(DEPARTURES)$ 

Express query "Find the passenger\_id of all passengers who have a seat booked on a plane of type "747" from San Francisco to Washington."

Do not return any duplicate values

```
SELECT DISTINCT B.passenger_id from FLIGHTS F, DEPARTURES D, BOOKINGS B
WHERE B.flight_num = D.flight_num
AND B.date = D.date
AND F.flight_num = D.flight_num
AND F.source_city = 'San Francisco'
AND F.destination_city = 'Washington'
AND D.plane_type = '747'
```

Part 1: SQL

Based on the following given SQL queries, which answer is correct:

(d) Q1 and Q2 produce different answers

Which answer is correct for the schema of relation R

```
Q1 : Q2 : SELECT \times SELECT MAX(x) FROM R; FROM R rr WHERE NOT EXISTS( SELECT * FROM R WHERE \times > rr.x);
```

(c) The answer to Q2 is always contained in the answer to Q1

Which statement about the relation R(a,b) and the following SQL query is true:

SELECT a, MAX(b), MIN(b) relational algebra 
$$\rho(R_1(a \rightarrow c, b \rightarrow d), R)$$
 GROUP BY a; 
$$\rho(S1, \pi_{a,b}(\sigma_{b \geq d}(R \times R1)))$$
 
$$\rho(S2(b \rightarrow c), \pi_{a,b}(\sigma_{b \leq d}(R \times R1)))$$
 
$$\rho(S3, R - S1)$$
 
$$\rho(S4, R - S2)$$
 Answer  $= S3 \bowtie S4$ 

(d) This query can be written in relational algebra

Sample Exam

Part 2: Transaction Management

#### Schedule-1:

T1	R(A)	R(C)			W(C)						commit
T2			R(C)				W(C)	R(B)	W(B)		commit
Т3				R(C)		R(A)				W(A)	commit

- ▶ Not serializable
- Non conflict-serializable



Figure: Precedence Graph

Sample Exam

Part 2: Transaction Management

#### Schedule-2:

T1		R(A)		R(C)	W(A)	commit					
T2			R(C)				R(B)	W(B)	commit		
Т3	R(B)									W(B)	commit

- ▶ Not serializable
- Non conflict-serializable





Figure: Precedence Graph

#### Schedule-3:

T1	R(C)	W(A)			W(A)	commit	
T2			W(A)	R(B)		W(B)	commit

- Serializable as  $T_1 \rightarrow T_2$  (Blind Write)
- ▶ Non conflict-serializable



Figure: Precedence Graph

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Part 2: Transaction Management

#### Strict 2PL on Schedule 1:

#### ► Deadlock happen

Table: Strict 2PL on Schedule 1

$T_1$	S(A)	R(A)	S(C)	R(C)					Wait T <sub>2</sub> , T <sub>3</sub>				
$T_2$					S(C)	R(C)						Wait T <sub>1</sub> , T <sub>3</sub>	
$T_3$							S(C)	R(C)		S(A)	R(A)		Wait T <sub>1</sub>

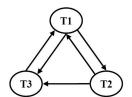


Figure: Wait-for Graph on Schedule 1

└Part 2: Transaction Management

#### Strict 2PL on Schedule 2:

#### ▶ Deadlock happen

Table: Strict 2PL on Schedule 2

$T_1$			S(A)	R(A)			S(C)	R(C)	X(A)	W(A)	СО				
$T_2$					S(C)	R(C)						S(B)	R(B)	Wait T <sub>3</sub>	
T <sub>3</sub>	S(B)	R(B)													Wait T <sub>2</sub>





Figure: Wait-for Graph on Schedule 2

Part 2: Transaction Management

#### Strict 2PL on Schedule 3:

▶ No Deadlock

Table: Strict 2PL on Schedule 3

$T_1$	S(C)	R(C)	X(A)	W(A)		W(A)	CO							
$T_2$					Wait T <sub>1</sub>			X(A)	W(A)	S(B)	R(B)	X(B)	W(B)	CO



Figure: Wait-for Graph on Schedule 3

Consider a relational schema  $\underline{ABCDEFGHIJ}$ , which contains the following FDs:

$$AB \rightarrow C, D \rightarrow E, AE \rightarrow G, GD \rightarrow H, IF \rightarrow J$$

Task 1: 
$$(a)ABD \rightarrow GH, (b)ABD \rightarrow HJ, (c)ABC \rightarrow G, (d)GD \rightarrow HE$$

- (a)  $AD \rightarrow AE(Augementation: D \rightarrow E); AD \rightarrow G(Transitivity: AD \rightarrow AE, AE \rightarrow G);$   $AED \rightarrow GD(Augementation: AE \rightarrow G); AED \rightarrow H(Transitivity: AED \rightarrow GD, GD \rightarrow H);$   $AD \rightarrow H(AED \rightarrow H, D \rightarrow E); AD \rightarrow GH(Union: AD \rightarrow G, AD \rightarrow H);$   $ADB \rightarrow GHB(Augementation: AD \rightarrow GH); ABD \rightarrow GH(Decomposition: ABD \rightarrow GHB)$
- (d)  $GD \rightarrow D(Reflixivity: D \subseteq GD); GD \rightarrow E(Transitivity: GD \rightarrow D, D \rightarrow E)$   $GD \rightarrow HE(Union: GD \rightarrow H, GD \rightarrow E)$

# Task 4: Any relation that satisfies $X \to Y$ and $X \to Z$ must also satisfy $X \to YZ$

 $X \rightarrow XZ(Augementation : X \rightarrow Z); XZ \rightarrow YZ(Augementation : X \rightarrow Y);$ 

Consider a relational schema  $\underline{ABCDEFGHIJ}$ , which contains the following FDs:

$$AB \rightarrow C, D \rightarrow E, AE \rightarrow G, GD \rightarrow H, IF \rightarrow J$$
(Don't forget:  $A \rightarrow ABCDEFGHIJ$ )

Task 2: Dependency preserving decomposition in 3NF ABCDFGI DE IFJ GDH

The decomposition is dependency preserving, because all FDs in the original set of functional dependencies are implied, if we enforce functional dependencies on the tables  $\underline{ABCDFGI}$   $\underline{DE}$   $\underline{IFJ}$   $\underline{GDH}$  separately.

For example,  $A \rightarrow H$  is ensured, since we can enforce  $A \rightarrow GD$  on table  $\underline{ABCDFGI}$  and  $GD \rightarrow H$  on table  $\underline{GDH}$ .

Consider a relational schema  $\underline{ABCDEFGHIJ}$ , which contains the following FDs:

$$AB \rightarrow C, D \rightarrow E, AE \rightarrow G, GD \rightarrow H, IF \rightarrow J$$

Task 3: This dependency preserving decomposition in 3NF are also in BCNF !!! You can check for each table in this decomposition if it is in BCNF using following definition:

#### Definition

R is in Boyce-Codd Normal form if, for every FD  $X \rightarrow A$  in F, one of the following statements is true:

- ▶  $A \in X$ ; that is, it is a trivial FD, or
- X is a key or superkey.

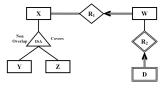


Figure: ER Model

- ▶ In the ER diagram above, the diamond labelled  $R_1$  denotes:
  - c) A Relationship
- Based on the ER diagram, find the correct description
  - a) For each entity  $x \in X$ , there exists at least one entity  $w \in W$ , such that  $xR_1w$

└ Part 4: Questions

#### Question 2:

#### What do the ACID properties stand for?

- Atomicity: All actions in the transaction happen, or none
- Consistency: If each transaction is consistent, and the DB starts consistent, it ends up consistent
- Isolation: Execution of one transaction is isolated from that of all others
- Durability: If a transaction commits, its effects persist

Part 4: Questions

What are the serial schedule, equivalent schedules and serializable schedule?

Check the book or slides.

How many file organizations exist? If possible, please point out their advantages and disadvantages?

Check the book or slides.

What are/is the primary goal(s) in schema normalization?

c) Avoid redundancy

## Part 4: Questions

## Question 6:

How does a write ahead log (WAL) work?

b) It stores adds an entry before each write operation to the log-file!

Note, that after commit and abort of a transaction, also information is written to the log file.

#### Three-tier architecture

- Presentation Tier: Users require a natural interface to make requests, provide input, and to see results. JavaScript.
- ► Middle Tier: The application logic executes here. Servlets, JSP, XSLT
- Data Management Tier: Data-intensive Web application involve DBMSs. XML

└ Part 4: Questions

#### Question 8:

Describe briefly about JDBC program

Check JDBC slide !!!

## Good luck for your final DB Exam:)

- ► Any questions about "Sample Exam Solution", please contact us asap.
- Examination Date: 19 June, 2007 (10:00  $\sim$  13:00)
- ▶ Location: Liacs, Room 174/402